Honour School of Mathematics and Statistics
Syllabus and Synopses for Part C 2024–2025
for examination in 2025

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Every effort is made to ensure that the list of courses offered is accurate at the time of
going online. However, students are advised to check the up-to-date version of this
document on the Department of Statistics website.

Notice of misprints or errors of any kind, and suggestions for improvements in this
booklet should be addressed to the Academic Administrator in the Department of
Statistics, academic.administrator@stats.ox.ac.uk.

July 2024
1 Honour School of Mathematics and Statistics

1.1 Units

See the current edition of the Examination Regulations at https://examregs.admin.ox.ac.uk for the full regulations governing these examinations. The examination conventions can be found on the Canvas course site.

In Part C,

- each candidate shall offer a minimum of six units and a maximum of eight units from the schedule of units for Part C
- and each candidate shall also offer a dissertation on a statistics project (equivalent of 2 units).
- At least 3 of the units taken by Part C students must be assessed by written examination.

At least two units should be from the schedule of ‘Statistics’ units. The USMs for the dissertation and the best six units will count for the final classification.

Units from the schedule of ‘Mathematics Department units’ for Part C of the Honour School of Mathematics are also available – see Section 3.

This booklet describes the units available in Part C. Information about dissertations/statistics projects will be available on the Department of Statistics Canvas site.

All of the units described in this booklet are “M-level”.

Students are asked to register for the options they intend to take by the end of week 10, Trinity Term 2024 using the Mathematical Institute course management portal. https://courses.maths.ox.ac.uk/course/index.php?categoryid=735. Students may alter the options they have registered for after this but it is helpful if their registration is as accurate as possible. Students will then be asked to sign up for classes at the start of Michaelmas Term 2024. Students who register for a course or courses for which there is a quota should consider registering for an additional course (by way of a "reserve choice") in case they do not receive a place on the course with the quota.

Every effort will be made when timetabling lectures to ensure that mathematics lectures do not clash. However, because of the large number of options this may sometimes be unavoidable.

1.2 Part C courses in future years

In any year, most courses available in Part C that year will normally also be available in Part C the following year. However, sometimes new options will be added or existing options may cease to run. The list of courses that will be available in Part C in any year will be published by the end of the preceding Trinity Term.
1.3 Course list by term

The 2024-2025 list of Part C courses by term is:

**Michaelmas Term**

SC1 Stochastic Models in Mathematical Genetics  
SC2 Probability and Statistics for Network Analysis  
SC6 Graphical Models  
SC9 Probability on Graphs and Lattices  
SC10 Algorithmic Foundations of Learning

**Hilary Term**

SC4 Advanced Topics in Statistical Machine Learning  
SC5 Advanced Simulation Methods  
SC7 Bayes Methods  
SC8 Topics in Computational Biology  
SC11 Climate Statistics  
C8.4 Probabilistic Combinatorics.
2. Statistics Units

2.1 SC1 Stochastic Models in Mathematical Genetics – 16 MT

Level: M-level
Method of Assessment: written examination
Weight: Unit

Recommended Prerequisites
Part A A8 Probability.
SB3.1 Applied Probability would be helpful.

Aims & Objectives
The aim of the lectures is to introduce modern stochastic models in mathematical population genetics and give examples of real world applications of these models. Stochastic and graph theoretic properties of coalescent and genealogical trees are studied in the first eight lectures. Diffusion processes and extensions to model additional key biological phenomena are studied in the second eight lectures.

Synopsis
Evolutionary models in Mathematical Genetics:

The Coalescent process describing the stochastic behaviour of the ancestral tree of a collection of DNA sequences. Mutations on ancestral lineages in a coalescent tree. Models with a variable population size.

The frequency spectrum and age of a mutation. Ewens' sampling formula for the probability distribution of the allele configuration of DNA sequences in a sample in the infinitely-many-alleles model. Hoppe’s urn model for the infinitely-many-alleles model.

The infinitely-many-sites model of mutations on DNA sequences. Gene trees as perfect phylogenies describing the mutation history of a sample of DNA sequences. Graph theoretic constructions and characterizations of gene trees from DNA sequence variation. Gusfield’s construction algorithm of a tree from DNA sequences. Examples of gene trees from data.


Reading

### 2.2 SC2 Probability and Statistics for Network Analysis – 16 MT

Level: M-level
Method of Assessment: Written examination
Weight: Unit

For this course, 2 lectures and 2 intercollegiate classes are replaced by 2 practical classes. (The total time for this course is the same as for other Part C courses.)

**Recommended prerequisites**
Part A A8 Probability and A9 Statistics

**Aims and Objectives**
Many data come in the form of networks, for example friendship data and protein-protein interaction data. As the data usually cannot be modelled using simple independence assumptions, their statistical analysis provides many challenges. The course will give an introduction to the main problems and the main statistical techniques used in this field. The techniques are applicable to a wide range of complex problems. The statistical analysis benefits from insights which stem from probabilistic modelling, and the course will combine both aspects.

**Synopsis**

Probabilistic models: Bernoulli random graphs, geometric random graphs, preferential attachment models, small world networks, inhomogeneous random graphs, exponential random graphs.

Small subgraphs: Stein’s method for normal and Poisson approximation. Branching process approximations, threshold behaviour, shortest path between two vertices.


**Reading**
2.3 **SC4 Advanced Topics in Statistical Machine Learning** – 16 HT

Level: M-level  
Methods of Assessment: written examination.  
Weight: Unit

**Recommended prerequisites**  
The course requires a good level of mathematical maturity. Students are expected to be familiar with core concepts in statistics (regression models, bias-variance tradeoff, Bayesian inference), probability (multivariate distributions, conditioning) and linear algebra (matrix-vector operations, eigenvalues and eigenvectors). Previous exposure to machine learning (empirical risk minimisation, dimensionality reduction, overfitting, regularisation) is highly recommended. 
Students would also benefit from being familiar with the material covered in the following courses offered in the Statistics department: SB2.1 (formerly SB2a) Foundations of Statistical Inference and in SB2.2 (formerly SB2b) Statistical Machine Learning.

**Aims and Objectives**  
Machine learning is widely used across the sciences, engineering and society, to construct methods for identifying interesting patterns and predicting accurately from large datasets. 
This course introduces several widely used machine learning techniques and describes their underpinning statistical principles and properties. The course studies both unsupervised and supervised learning and several advanced and state-of-the-art topics are covered in detail. The course will also cover computational considerations of machine learning algorithms and how they can scale to large datasets.

**Synopsis**  

Support vector machines.

Kernel methods and reproducing kernel Hilbert spaces. Representer theorem. Representation of probabilities in RKHS.

Probabilistic and Bayesian machine learning: Fundamentals of the Bayesian approach.

Gaussian processes. Bayesian optimisation.


Variational inference. Latent variable models.

Software
Knowledge of Python is not required for this course, but some examples may be done in Python. Students interested in learning Python are referred to the following free University IT online course, which should ideally be taken before the beginning of this course: https://skills.it.ox.ac.uk/whats-on#course/LY046

Reading
C. Bishop, Pattern Recognition and Machine Learning, Springer, 2007

Further Reading
T. Hastie, R. Tibshirani, J Friedman, Elements of Statistical Learning, Springer, 2009

2.4 SC5 Advanced Simulation Methods - 16 HT

Level: M-level
Methods of Assessment: This course is assessed by written examination.
Weight: Unit

Recommended Prerequisites
The course requires a good level of mathematical maturity as well as some statistical intuition and background knowledge to motivate the course. Students are expected to be familiar with core concepts from probability (conditional probability, conditional densities, properties of conditional expectations, basic inequalities such as Markov’s, Chebyshev’s and Cauchy-Schwarz’s, modes of convergence), basic limit theorems from probability in particular the strong law of large numbers and the central limit theorem, Markov chains, aperiodicity, irreducibility, stationary distributions, reversibility and convergence. Most of these concepts are covered in courses offered in the Statistics department, in particular prelims probability, A8 probability and SB3.1 (formerly SB3a) Applied Probability.
Familiarity with basic Monte Carlo methods will be helpful, as for example covered in A12 Simulation and Statistical Programming.
Some familiarity with concepts from Bayesian inference such as posterior distributions will be useful in order to understand the motivation behind the material of the course.

Aims and Objectives
The aim of the lectures is to introduce modern simulation methods. This course concentrates on Markov chain Monte Carlo (MCMC) methods and Sequential Monte Carlo (SMC) methods. Examples of applications of these methods to complex inference problems will be given.

Synopsis
Classical methods: inversion, rejection, composition.
Importance sampling.
Advanced MCMC methods: Gibbs sampling, slice sampling, tempering/annealing, Hamiltonian (or Hybrid) Monte Carlo, pseudo-marginal MCMC.

Sequential importance sampling.

SMC methods: nonlinear filtering.

*Reading*

*Further reading*

2.5 **SC6 Graphical Models – 16 MT**

Level: M-level
Methods of Assessment: This course is assessed by written examination.
Weight: Unit

*Recommended Prerequisites*
The basics of Markov chains (in particular, conditional independence) from Part A Probability is assumed. Likelihood theory, contingency tables, and likelihood-ratio tests are also important; this is covered in Part A Statistics. Knowledge of exponential families and linear models (as covered in Part B Foundations of Statistical Inference and Applied Statistics) would be useful, but is not essential.

*Aims and Objectives*
This course will give an overview of the use of graphical models as a tool for statistical inference. Graphical models relate the structure of a graph to the structure of a multivariate probability distribution, usually via a factorization of the distribution or conditional independence constraints. This has two broad uses: first, conditional independence can provide vast savings in computational effort, both in terms of the representation of large multivariate models and in performing inference with them; this makes graphical models very popular for dealing with big data problems. Second, conditional independence can be used as a tool to discover hidden structure in data, such as that relating to the direction of causality or to unobserved processes. As such, graphical models are widely used as causal models in genetics, medicine, epidemiology, statistical physics, economics, the social sciences and elsewhere.

Students will develop an understanding of the use of conditional independence and graphical structures for dealing with multivariate statistical models. They will appreciate how this is applied to causal modelling, and to computation in large-scale statistical problems.

*Synopsis*
- Independence, conditional independence, graphoid axioms.
- Exponential families, mean and canonical parameterizations, moment matching; contingency tables, log-linear models.
• Undirected graphs, cliques, paths; factorization and Markov properties, Hammersley-Clifford Theorem (statement only).
• Trees, cycles, chords, decomposability, triangulation, running intersection property. Maximum likelihood in decomposable models, iterative proportional fitting.
• The multivariate Gaussian distribution and Gaussian graphical models.
• Directed acyclic graphs, factorization. Paths, d-separation, moralization. Ancestral sets and sub-models. Decomposable models as intersection of directed and undirected models.
• Running intersection property, Junction trees; message passing, computation of marginal and conditional probabilities, introduction of evidence.
• Causal models, linear structural equations, interventions, the trek rule.
• Average causal effects, adjustment, valid adjustment sets, forbidden projection, and optimal adjustment.

Reading

2.6 SC7 Bayes Methods – 16 HT

Level: M-level
Method of Assessment: Written examination
Weight: Unit

Recommended prerequisites
SB2.1 (formerly SB2a) Foundations of Statistical Inference is desirable, of which 6 lectures on Bayesian inference, decision theory and hypothesis testing with loss functions are assumed knowledge. A12 Simulation and Statistical Programming desirable.

Synopsis

Computational methods: Bayesian inference via MCMC; Estimation of marginal likelihood; Approximate Bayesian Computation and intractable likelihoods; reversible jump MCMC.

Case Studies: extend understanding of prior elicitation, BNP methods and asymptotics through a small number of substantial examples. Examples to further illustrate building
statistical models, model choice, model averaging and model assessment, and the use of Monte Carlo methods for inference.

Reading

Further Reading
P Hoff, A First Course in Bayesian Statistical Methods, Springer, 2010

2.7 SC8 Topics in Computational Biology – 16 HT

Level: M-level
Method of Assessment: Mini-project
Weight: Unit

Recommended Prerequisites:
The lectures attempt to be self-contained but clearly knowledge algorithms, combinatorics and probability theory (A8 Probability and SB3.1 Applied Probability) would be a help. The course requires a good level of mathematical maturity.

Aims & Objectives
Modern molecular biology generates large amounts of data, such as sequences, structures and expression data, that needs different forms of statistical analysis and modelling to be properly interpreted. This course focuses on four topics within this vast area: Molecular Dynamics, Molecule Enumeration, Comparative Biology and Overview of Computational Biology and Computational Neurosciences.

Synopsis:
Modelling the Biosphere - The biosphere is a well-defined physical system that can be described at different levels of coarse-grained. At the most detailed level, it is an extremely complicated system with an energy in- and outflux, a physical system consisting of atmosphere, ocean and crust and in excess of 10 million species. But even at the very coarsest level major insights can be obtained and the greenhouse effect was pretty precisely described 130 years ago based on the simplest of models. Climate Change and Weather Forecasting make models of immense economic importance and are experiencing major development, both in terms of data collection, parameterisation and computational power. Like in epidemics, forecasting and assessment of forecasting is important. Statistical testing and causal analysis of biospheric changes are also receiving major attention. Describing scenarios of Climate Change is of interest to all and the foundation of political and economic decision making.

Advanced Sequence Analysis - Sequences are the classical golden type of data within Bioinformatics/Computational Biology with a 50+ year history. However, there are plenty of open problems that have arisen either due to the explosion of data, incorporation of other information or the rise of Machine Learning. In this sub-topic we go through sequence models including insertion-deletions, substitutions and how to infer parameters, relationships and alignments.
Computational Models of Pattern and Shape - Classically, Multicellular Organisms were identified by their Patterns and Shapes. This has over the last 1-2 centuries been vastly enhanced by molecular/cellular characterisations. This has been a triumph of modern science. The dynamics and evolution of molecular/cellular components and processes has well-developed models associated, but as you proceed to higher levels within an individual, such as tissue and organs and eventually the complete organism, very major challenges remain. Within this sub-topic we will attempt to survey the main Patterns/Shapes observed in Multicellular Organisms, the models that have been used to describe and explain them. Finally, we will discuss attempts to go from Genome to Patterns/Shapes. This subtopic will be one of the main challenges for the biosciences in the coming decades.

Computational Neuroscience - Computational Neuroscience is in massive growth, but has a history going back to the 1940s with publications such as McCulloch and Pitts (1943) paper on neural networks. The present progress is driven by progress on three fronts: (i) experimental data on brains, nerve systems and individual neurons, (ii) increased success in designing artificial neural networks with an increasing variety in architectures with applications in Deep Learning/AI and (iii) the ability to simulate very complex models as models of biological neural networks. Neuroscience and Computational Neuroscience are arguably the most complex areas of present science it could take many decades for the most fundamental questions to be answered. The origin(s) of Neurosystems (and general likelihood/unlikelihood) is still an open question. The definition of consciousness is not only a philosophical question but of practical importance.

The exact plan for lectures is:

W1 The Basics of the Biosphere
W1 Modelling the Dynamics of the Biosphere
W2 Model Properties and Statistics
W2 Climate Change

W3 Models of Sequence Evolution
W3 Alignment
W4 Phylogenetics
W4 Pattern Search in Sequences

W5 Biological & Artificial Neurons
W5 Modelling Small Neural Networks
W6 Large Scale Brain Modelling
W6 Evolution of of the Brain

W7 The Classical Models of Patterns and Shapes
W7 Patterns and Shapes in Animals
W8 Patterns and Shapes in Plants
W8 Functions from Genome to Pattern and Shape
2.8 **SC9 Probability on Graphs and Lattices** – 16 MT

Level: M-level
Method of Assessment: Written examination Weight: Unit

*Recommended Prerequisites*

Discrete and continuous time Markov processes on countable state space, as covered for example in Part A A8 Probability and Part B SB3.1 Applied Probability.

*Aims and Objectives*

The aim is to introduce fundamental probabilistic and combinatorial tools, as well as key models, in the theory of discrete disordered systems. We will examine the large-scale behaviour of systems containing many interacting components, subject to some random noise. Models of this type have a wealth of applications in statistical physics, biology and beyond, and we will see several key examples in the course. Many of the tools we will discuss are also of independent theoretical interest, and have far reaching applications. For example, we will study the amount of time it takes for a random system to reach its stationary distribution (mixing time). This concept is also important in many statistical applications, such as studying the run time of MCMC methods.

*Synopsis*

- Uniform spanning trees, loop-erased random walks, Wilson’s algorithm, the Aldous-Broder algorithm.
- Percolation, phase transitions in $\mathbb{Z}^d$, specific tools in $\mathbb{Z}^2$.
- Ising model, random-cluster model and other models from statistical mechanics (e.g. Potts model, hard-core model).
- Glauber dynamics, mixing times, couplings.

*Reading*

2.9  SC10 Algorithmic Foundations of Learning – 16 MT

Level: M-level
Method of Assessment: Written examination
Weight: Unit

Recommended Prerequisites
The course requires a good level of mathematical maturity. Students are expected to have working knowledge of core concepts in probability theory (basic properties of probabilities, such as union bounds, and of conditional expectations, such as the tower property or law of total expectations; basic inequalities, such as Markov’s and Jensen’s), statistics (confidence intervals, hypothesis testing), and linear algebra (matrix-vector operations, eigenvalues and eigenvectors; basic inequalities, such as Cauchy-Schwarz’s and Hölder’s). Previous exposure to machine learning (empirical risk minimisation, overfitting, regularisation) is recommended.

Students would benefit from being familiar with the material covered in SB2.1 (formerly SB2a) Foundations of Statistical Inference (in particular, Decision Theory) and in SB2.2 (formerly SB2b) Statistical Machine Learning.

Aims and objectives
The course is meant to provide a rigorous theoretical account of the main ideas underlying machine learning, and to offer a principled framework to understand the algorithmic paradigms being used, along with non-asymptotic methods for the study of random structures in high-dimensional probability, statistics, and optimisation.

Synopsis

- Statistical learning frameworks for prediction, estimation and online learning.
  - Probability:
    - Maximal inequalities.
    - Rademacher and Gaussian complexities.
    - Elements of VC theory.
    - Covering and packing numbers.
    - Chaining.
    - Concentration inequalities.
  - Statistics:
    - Bayes decision rules.
    - Learning via uniform convergence, margin bounds, and algorithmic stability.
    - Regularisation: explicit (constraints and penalisation) and implicit (algorithmic).
    - Convex loss surrogates.
    - Slow and fast rates.
    - Minimax lower bounds and hypothesis testing.
  - Optimisation:
    - Elements of convex theory.
• Implicit Bias.
• Online optimisation.

Examples
• Linear predictors, including Boosting.
• Non-linear predictors, including Support Vector Machines and Neural Networks.
• High-dimensional estimators for sparse and low-rank problems, including Lasso.
• Online learning, including multi-armed bandit problems, reinforcement learning and algorithms.

Reading

• Shai Shalev-Shwartz and Shai Ben-David. Understanding Machine Learning: From Theory to Algorithms. Cambridge University Press. 2014

3.0 SC11 Climate Statistics – 16 HT

Level: M-level
Method of Assessment: Written examination
Weight: Unit

Recommended Prerequisites:

Students will need a grounding in probability and statistical theory at least on the level of A8 Probability and A9 Statistics, and will need most of the material of SB1.1 Applied Statistics. There will be heavy use of Linear Algebra, but not assuming proficiency beyond the level of Oxford’s first-year courses. It will be helpful for students to have some familiarity with Fourier series, also on the level of the first-year course Fourier series and PDEs), and simulation methods for statistical inference (on the level of SB1.2 Computational Statistics).

Aims and Objectives

This course aims to teach the fundamentals of some statistical concepts and techniques that are relevant for understanding and carrying out research in climate science. It will teach about the varieties of climate data and show how they may be analysed with these techniques, as well as teaching some of the core concepts of climate science, and show students how improvements in climate science have been linked to improvements in statistical methodology.

The topics covered are all core statistical methods that are not at all or hardly covered in our current curriculum. The topics are: time series, multivariate analysis, multivariate
decomposition methods (PCA, CCA, related issues), and extreme values, plus a lecture on the design and interpretation of large simulation models.

Techniques of data analysis in R will be taught, and students will be expected to engage with issues of data analysis. The problem sheets will include computing questions, which may in principle be done in any programming language, though solutions will be provided only in R. They will not be examined on writing code, but on the interpretation of computational outputs.

**Synopsis**

**Introduction**: History and background of climate science; the varieties of climate data and climate models.

**Time series**:
- Exploratory Data analysis and nonparametric smoothing;
- ARIMA models in the time domain;
- Spectral methods;
- Introduction to wavelets. Basic concepts of time-frequency representations, application of Morlet wavelets.

**Multivariate analysis**:
- MANOVA and MANCOVA;
- Testing with Wilks Λ and Hotelling $T^2$;
- Multivariate regression.

**Multivariate decomposition methods**:
- Principal Components Analysis;
- Canonical Correlations Analysis;
- Model selection with Mutual Information Criterion and cross validation;
- Predictable Components Analysis.

**Extreme values**: Basic theory of extreme value distributions, convergence theorems (without detailed proofs), inference for the generalised extreme value distribution.

**Computational climate models**: Problems of inference from large spatio-temporal simulation models.

**Reading**
Statistical Methods for Climate Scientists, Timothy M. Delsole and Michael K. Tippett.

**Further Reading**:
Climate Change 2021: The Physical Science Basis, The Intergovernmental Panel on Climate Change.
Multivariate Time Series Analysis in Climate and Environmental Research, Zhihua Zhang.
Extreme Value Theory with Applications to Natural Hazards, ed. Nicolas Bousquet and Pietro Bernardera.
3.1 C8.4 Probabilistic Combinatorics - 16 HT

Level: M-level
Method of Assessment: Written examination.
Weight: Unit

**Recommended Prerequisites:**
B8.5 Graph Theory and A8: Probability. C8.3 Combinatorics is not as essential prerequisite for this course, though it is a natural companion for it.

**Overview**
Probabilistic combinatorics is a very active field of mathematics, with connections to other areas such as computer science and statistical physics. Probabilistic methods are essential for the study of random discrete structures and for the analysis of algorithms, but they can also provide a powerful and beautiful approach for answering deterministic questions. The aim of this course is to introduce some fundamental probabilistic tools and present a few applications.

**Learning Outcomes**
The student will have developed an appreciation of probabilistic methods in discrete mathematics.

**Synopsis**
First-moment method, with applications to Ramsey numbers, and to graphs of high girth and high chromatic number.
Second-moment method, threshold functions for random graphs.
Lovász Local Lemma, with applications to two-colourings of hypergraphs, and to Ramsey numbers.
Chernoff bounds, concentration of measure, Janson's inequality.
Branching processes and the phase transition in random graphs.
Clique and chromatic numbers of random graphs.

**Reading**

**Further Reading:**
M. Molloy and B. Reed, *Graph Colouring and the Probabilistic Method*, Springer, 2002
The Mathematics units that students may take are drawn from Part C of the Honour School of Mathematics. For full details of these units, see the Syllabus and Synopses for Part C of the Honour School of Mathematics, which are available on the web at https://courses.maths.ox.ac.uk/course/index.php?categoryid=735

The Mathematics units that are available are as follows:

- C1.1 Model Theory 16 MT
- C1.2 Godel's Incompleteness Theorems 16 HT
- C1.3 Analytic Topology 16 MT
- C1.4 Axiomatic Set Theory 16 HT
- C2.2 Homological Algebra 16 MT
- C2.3 Representation Theory of Semisimple Lie Algebras 16 HT
- C2.4 Infinite Groups 16 MT
- C2.5 Non-Commutative Rings 16 HT
- C2.6 Introduction to Schemes 16 HT
- C2.7 Category Theory 16 MT
- C3.1 Algebraic Topology 16 MT
- C3.2 Geometric Group Theory 16 HT
- C3.3 Differentiable Manifolds 16 MT
- C3.4 Algebraic Geometry 16 MT
- C3.5 Lie Groups 16 MT
- C3.6 Modular Forms 16 MT
- C3.7 Elliptic Curves 16 HT
- C3.8 Analytic Number Theory 16 HT
- C3.9 Computational Algebraic Topology 16 HT
- C3.10 Additive Combinatorics 16 MT
- C3.11 Riemannian Geometry 16 HT
- C3.12 Low-Dimensional Topology and Knot Theory 16 HT
- C4.1 Further Functional Analysis 16 MT
- C4.3 Functional Analytic Methods for PDEs 16 MT
- C4.4 Hyperbolic Equations 16 HT
- C4.6 Fixed Point Methods for Nonlinear PDEs 16 HT
- C4.9 Optimal Transport and Partial Differential Equations 16 MT
- C5.1 Solid Mechanics 16 MT
- C5.2 Elasticity and Plasticity 16 MT
- C5.4 Networks 16 MT
- C5.5 Perturbation Methods 16 MT
- C5.6 Applied Complex Variables 16 HT
- C5.7 Topics in Fluid Mechanics 16 MT
- C5.11 Mathematical Geoscience 16 MT
- C5.12 Mathematical Physiology 16 MT
- C6.1 Numerical Linear Algebra 16 MT
- C6.2 Continuous Optimisation 16 HT
- C6.5 Theories of Deep Learning 16 MT
- C7.1 Theoretical Physics 24MT/16HT
- C7.4 Introduction to Quantum Information 16 HT
- C7.5 General Relativity I 16 MT
- C7.6 General Relativity II 16 HT
- C7.7 Random Matrix Theory 16 HT
- C8.1 Stochastic Differential Equations 16 MT
- C8.2 Stochastic Analysis and PDEs 16 HT
- C8.3 Combinatorics 16 MT
- C8.4 Probabilistic Combinatorics (see page 13) 16 HT
- C8.6 Limit Theorems in Probability 16 HT
- C8.7 Optimal Control 16 HT